

exp-1-

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Collection and Analysis of Data

*Data

h(cm)	t(sec)			
	d = 1.5 mm	d = 2.0 mm	d = 3.0 mm	d = 5.0 mm
30.0	73.0	41.2	18.4	6.8
10.0	43.5	23.7	10.5	3.9
4.0	26.7	15.0	6.8	2.2
1.0	13.5	7.2	3.7	1.5

Table (1)

Using data in table (1) to fill table (2) below:

d(mm)	t(sec)			
	h = 30.0 cm	h = 10.0 cm	h = 4.0 cm	h = 1.0 cm
5.0	6.8	3.9	2.2	1.5
3.0	18.4	10.5	6.8	3.7
2.0	41.2	23.7	15.0	7.2
1.5	73.0	43.5	26.7 26.7	13.5

Table (2)

For h = 30.0 cm, fill table (3) below:

منزلين بعد الغاطلة.



t (sec)	d (mm)	1/d ² (mm ⁻²)
6.8	5.0	0.04
18.4	3.0	0.11
41.2	2.0	0.25
73.0	1.5	0.44

Table (3)

For d = 2.0 mm, fill table (4) below:

t (sec)	h (cm)	Log t	Log h
41.2	30.0	1.61	1.48
23.7	10.0	1.37	1
15.0	4.0	1.18	0.60
7.2	1.0	0.86	0

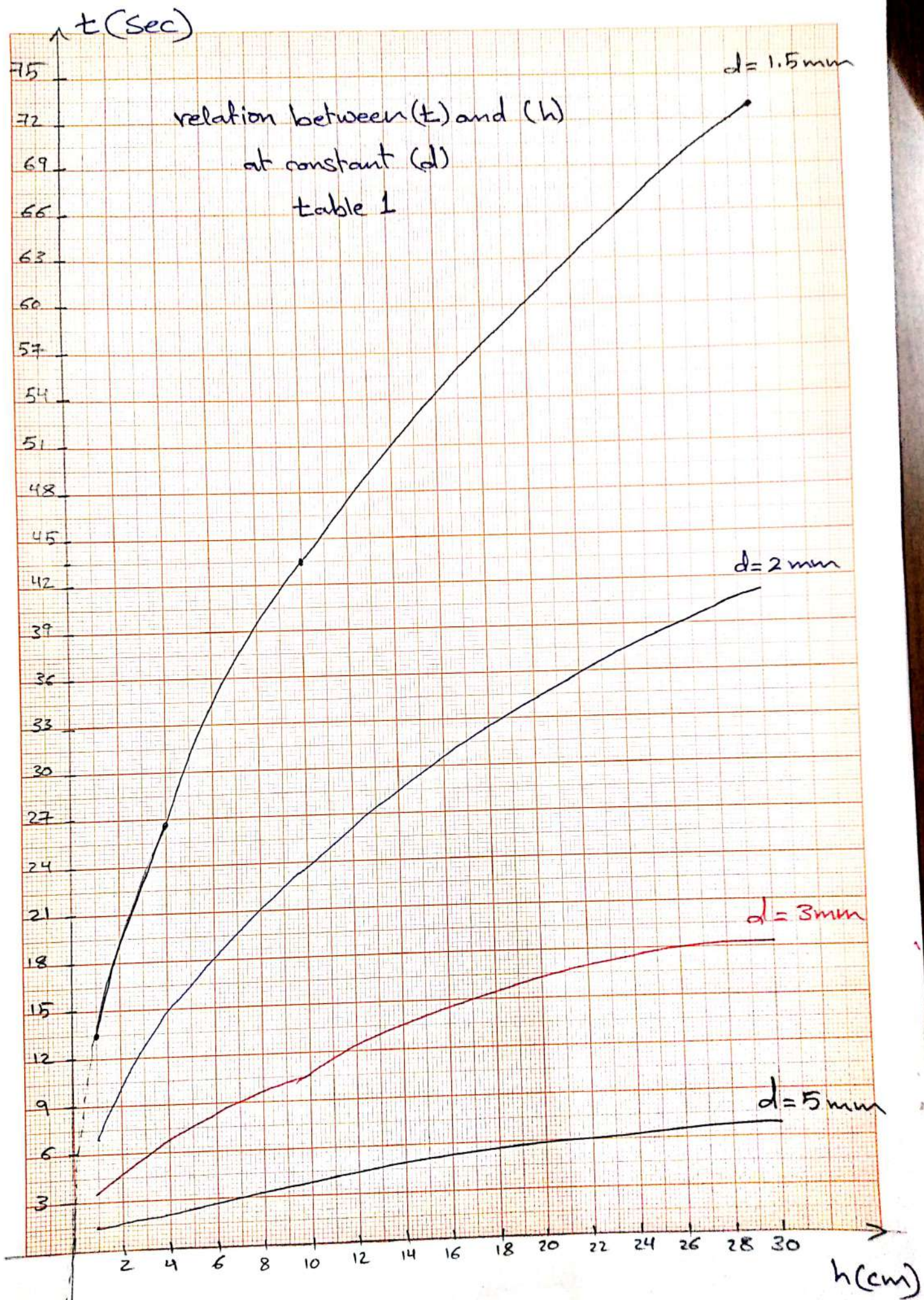
Table (4)

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**Analysis of Data:*

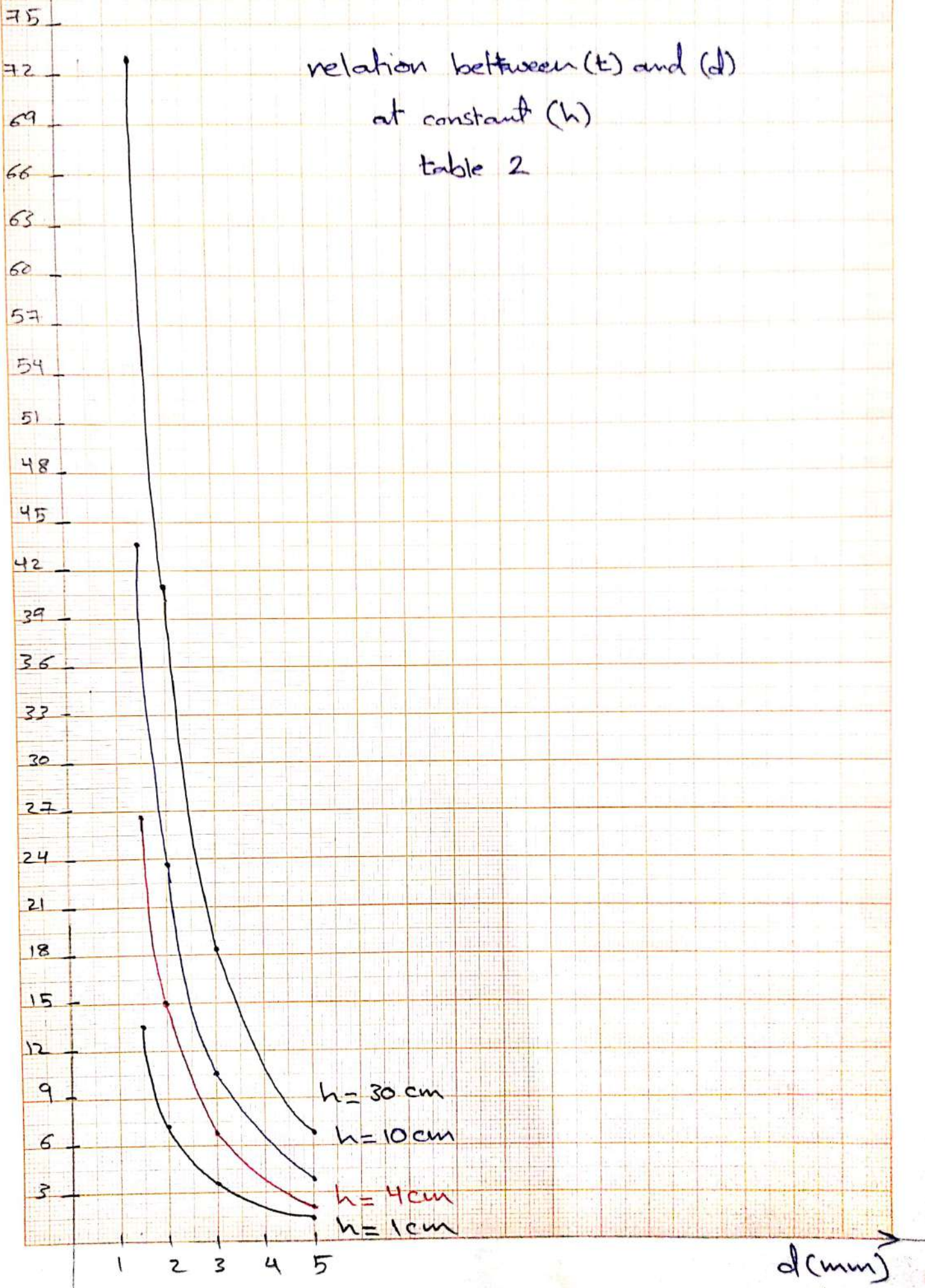
Graph your results. **Independent** variables will be the diameter of the hole and depth of water in the container. Time is the **dependent** variable and will depend on the previous two independent variables.

- A. Plot the time (**t**) versus the depth (**h**) for each diameter (**d**) used. Do four graphs on one sheet, using the same set of axes, connecting points in a smooth curve for each and labeling them d_1 , d_2 , d_3 and d_4 .
- B. On a second sheet of graph paper, plot the time (**t**) versus diameter (**d**) for each value of depth (**h**). Connect the points in a smooth curve and label the curves h_1 , h_2 , h_3 and h_4 .
- C. Plot **t** versus $1/d^2$ for $h = 30.0$ cm.
- D. Plot **log t** versus **log h** for $d = 2$ mm.

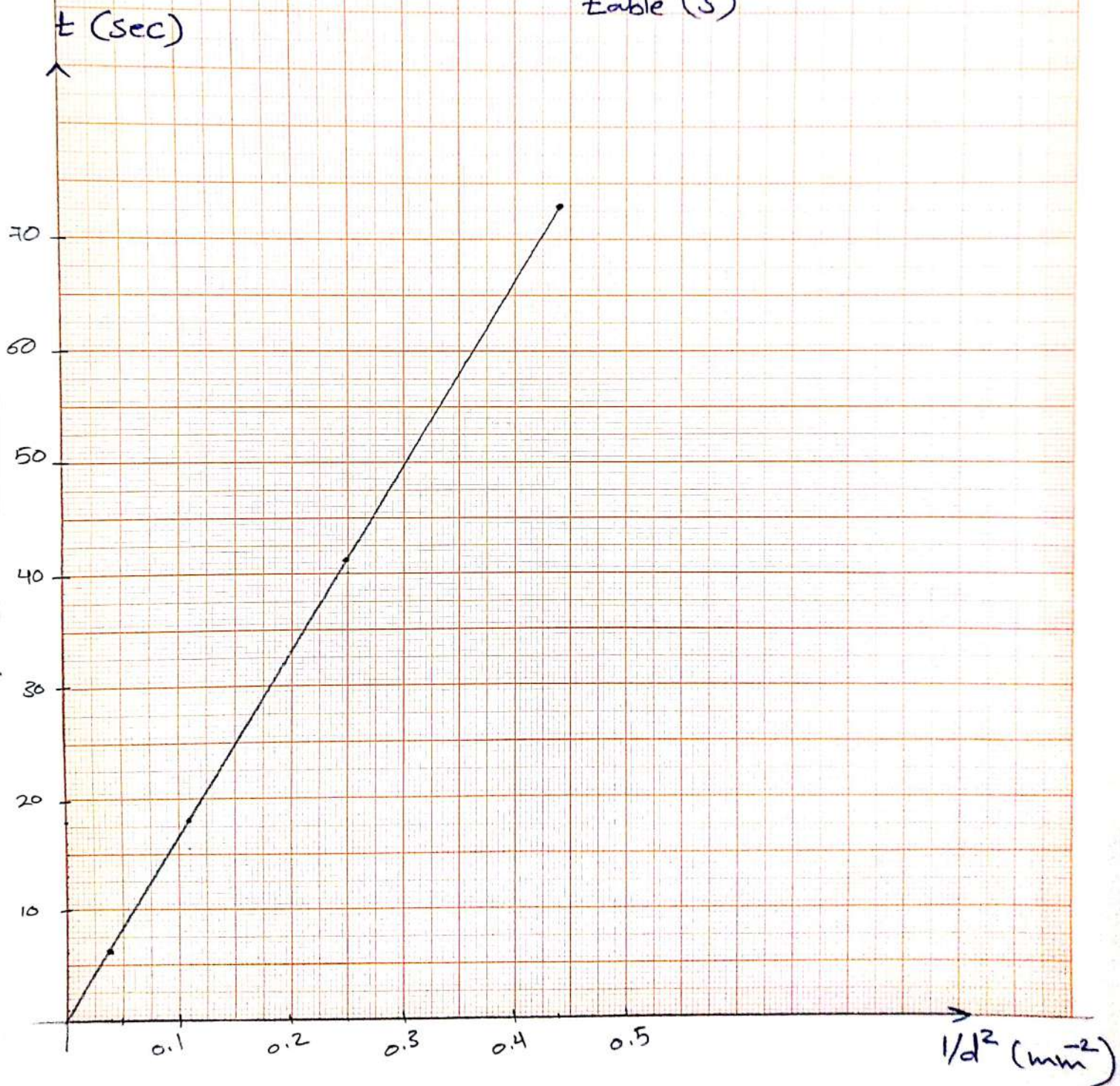


t (sec)

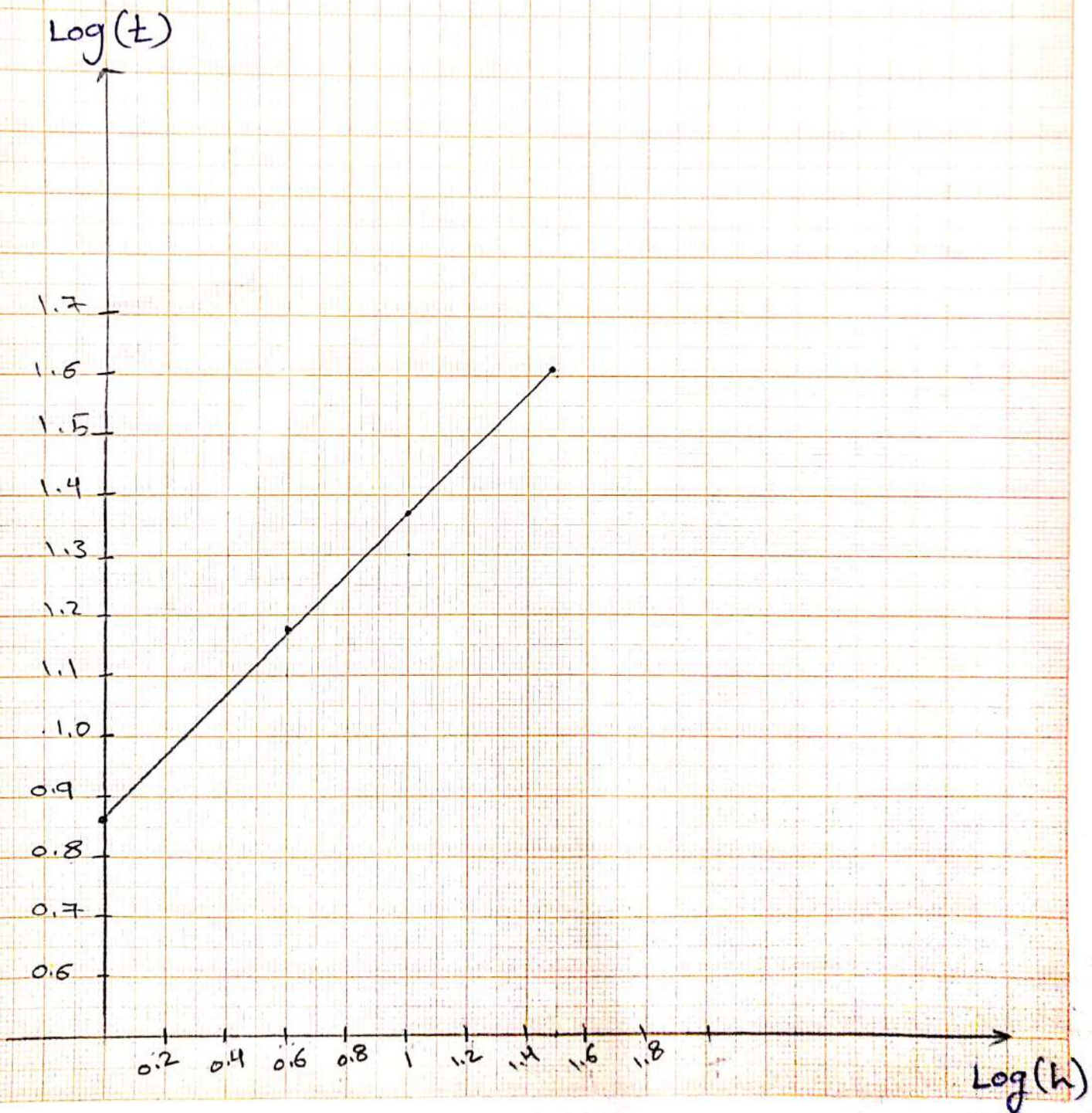
relation between t and d
at constant h
table 2



t versus $(1/d^2)$ for $h = 30.0$ cm
table (3)



$\text{Log}(t)$ versus $\text{Log}(h)$ for $d = 2.0 \text{ mm}$
Table (4)



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Measurement and Uncertainties

A. Measurement of π

Record your data in the following table

Trial No.	d(cm)	$(d_i - \bar{d})^2$ (cm ²)	c (cm)	$(c_i - \bar{c})^2$ (cm ²)
1	3.75	8.1×10^{-5}	11.69	7.84×10^{-4}
2	3.72	4.41×10^{-4}	11.8	6.724×10^{-3}
3	3.735	3.6×10^{-5}	11.72	4×10^{-6}
4	3.77	8.41×10^{-4}	11.7	3.24×10^{-4}
5	3.73	1.21×10^{-4}	11.68	1.444×10^{-3}
Average	$\bar{d} = 3.741$ cm		$\bar{c} = 11.718$ cm	
Error	$\Delta d = 8.71 \times 10^{-3}$ cm		$\Delta c = 0.021$ cm	

1. Using your average measured values of $\bar{d}$ and $\bar{c}$, calculate $\bar{\pi}$.

$$\bar{\pi} = \frac{\bar{c}}{\bar{d}} = \frac{11.718}{3.741} = 3.1323$$

2. Calculate $\Delta \bar{\pi}$.

$$\Delta \bar{\pi} = \bar{\pi} \sqrt{\left(\frac{\Delta c}{\bar{c}}\right)^2 + \left(\frac{\Delta d}{\bar{d}}\right)^2} = 3.1323 \sqrt{3.2 \times 10^{-6} + 5.42 \times 10^{-6}} = 0.0092$$

3. Which quantity contributes more to the error in the $\bar{\pi}$? ($\Delta \bar{d}/\bar{d}$, $\Delta \bar{c}/\bar{c}$)

$$\frac{\Delta \bar{d}}{\bar{d}} = \frac{8.71 \times 10^{-3}}{3.741} = 0.0023 \quad \left\{ \begin{array}{l} \frac{\Delta \bar{c}}{\bar{c}} = \frac{0.021}{11.718} = 0.00179 \end{array} \right.$$

it is more error in the $\bar{\pi}$

4. Find percent error of π , where the accepted value of $\pi = 3.14159$.

$$\text{Percent error of } \pi = \left| \frac{\pi - \bar{\pi}}{\bar{\pi}} \right| \times 100\%$$

$$= \left| \frac{3.14159 - 3.1323}{3.14159} \right| \times 100\% = 0.29\%$$

B. Determination of the density:

Record your data in the following table

Trial No.	h(cm)	$(h - \bar{h})^2 (\text{cm}^2)$	d (cm)	$(d - \bar{d})^2 (\text{cm}^2)$
1	11.315	4.84×10^{-4}	0.653	7.056×10^{-5}
2	11.37	1.089×10^{-3}	0.655	4.096×10^{-5}
3	11.325	1.44×10^{-4}	0.666	2.116×10^{-5}
4	11.325	1.44×10^{-4}	0.672	1.1236×10^{-4}
5	11.35	1.69×10^{-4}	0.661	1.6×10^{-4}
Average	$\bar{h} = 11.337$ cm		$\bar{d} = 0.6614$ cm	
Error	$\Delta h = 0.01$ cm		$\Delta d = 0.0035$ cm	
Mass	$m = 45.63$ g		$\Delta m = 0.01$ g	

1. Find the **average value** of the calculated densities and compare it with the standard value of this material density ($\rho = 8.89 \text{ g/cm}^3$)? And find the percent error.

$$\rho = \frac{m}{\pi \left(\frac{d}{2}\right)^2 h} = \frac{45.63}{(3.142)(\frac{0.6614}{2})^2 (11.337)} = 11.75 \text{ g/cm}^3$$

$$\text{Percentage error} = \left| \frac{\rho - \rho_{\text{acc}}}{\rho_{\text{acc}}} \right| \times 100 = \left| \frac{11.75 - 8.89}{8.89} \right| \times 100\% = 32.17\%$$

2. Calculate the error in the density ($\Delta \rho$).

$$\Delta \rho = \rho \sqrt{\left(\frac{\Delta m}{m}\right)^2 + \left(\frac{\Delta \pi}{\pi}\right)^2 + \left(\frac{\Delta h}{h}\right)^2 + \left(\frac{2 \Delta d}{d}\right)^2}$$

$$= 11.75 \times \sqrt{4.8 \times 10^{-8} + 8.6 \times 10^{-6} + 7.78 \times 10^{-7} + 1.12 \times 10^{-4}} = 0.129$$

3. Which quantity contributes more to the error in the density; the mass, the diameter or the height? Why? (see part A 3)

$$\frac{\Delta m}{m} = 2.19 \times 10^{-4} = 0.000219$$

$$\frac{\Delta \pi}{\pi} = 2.9 \times 10^{-3} = 0.0029$$

$$\frac{\Delta h}{h} = 8.8 \times 10^{-4} = 0.00088$$

$$\frac{2 \Delta d}{d} = 0.01 = 0.01 \leftarrow \text{is more error in the density}$$

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Vectors (Force Table)

The values we will be working on are in the following table

Mass (g)	Weight (N) = mass $\times$ 9.8	Direction ($^{\circ}$)
85	0.833	35
155	1.519	240
105	1.029	330

$$F_1 = 0.833\text{N}, 35^{\circ}$$

$$F_2 = 1.519\text{N}, 240^{\circ}$$

$$F_3 = 1.029\text{N}, 330^{\circ}$$

Insert the calculated values in the following table

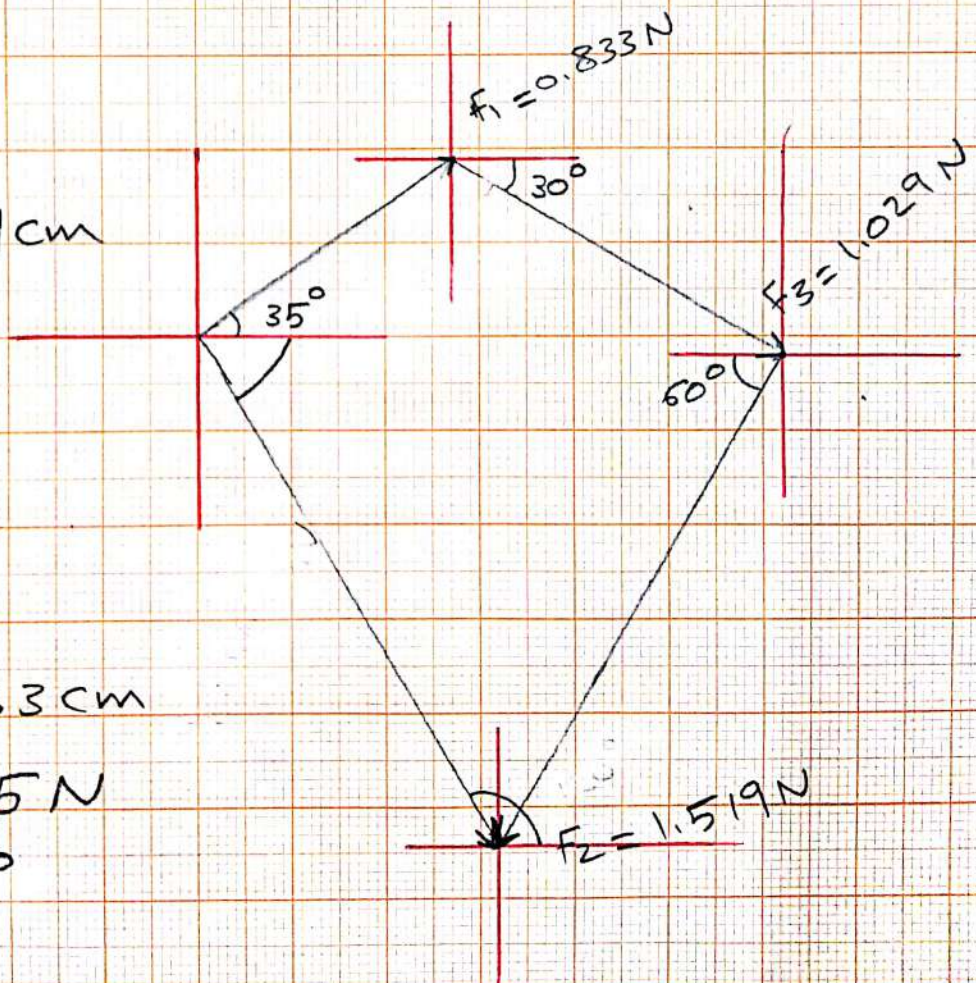
Resultant Force	Experimental Results	Graphical Results	Components Results
Magnitude (N)	1.5337 N	1.575 N	1.576
Direction (θ_R)	-60°	-60°	-59°
Percent Difference for Graphical results %		2.66%	
Percent Error for Components results %		2.68%	

*Graphical solution should be attached to the report.

Forces	Components Results	Equilibrant Results
Magnitude (N)	1.576	1.576
Direction (θ_R)	-59°	121

*Note: The resultant and the equilibrant forces are same in magnitude and opposite in directions.

at scale $1\text{ N} : 4\text{ cm}$



Length = 6.3 cm

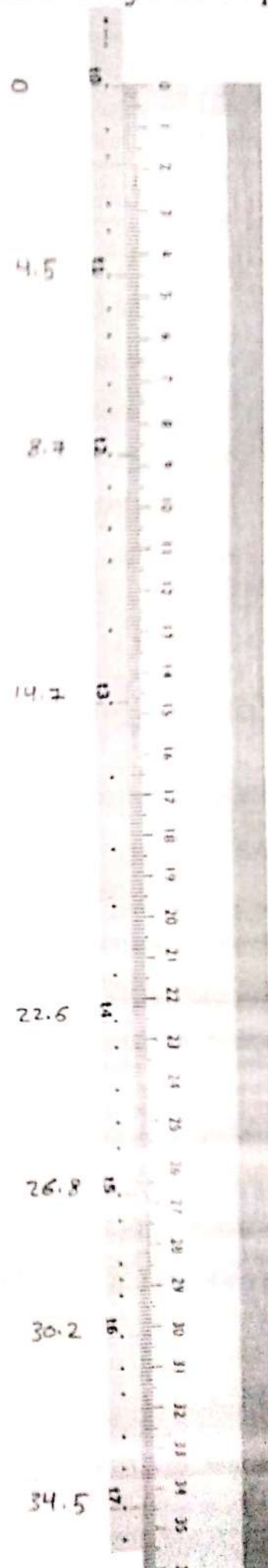
$F_R = 1.575\text{ N}$

$\theta_R = -60^\circ$

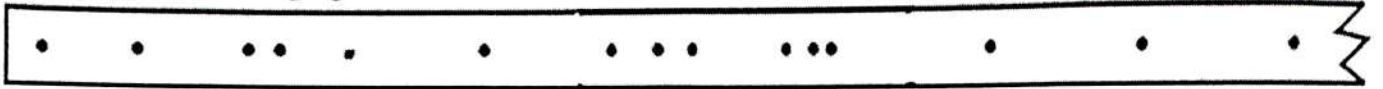
Use the given ticker tape for the data in your report

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Purpose: To study irregular motion of your hand, by determining how the distance, velocity and acceleration are changing with time.



- A. Fill in **table (1)** with data from **your tape**. Then, draw a graph of **x** versus **t**.
- B. Use data from **table (1)** to fill **table (2)**. Then, draw a graph of $\bar{v}$ versus **t**. Then, draw the curve of the **instantaneous velocity**. {Assume that the instantaneous velocity at the interval's mid-point equals the average velocity in that interval, and that the acceleration is constant between each two intervals.}
- C. Use data from **table (1)** to fill in **table (3)**.

Table(1)

Total time t (sec)	Total distance x (cm)
0.0	0.0
0.1	4.5
0.2	8.7
0.3	14.7
0.4	22.6
0.5	26.8
0.6	30.2
0.7	34.5

Table(2)

Time interval (s)	Average velocity $\bar{v} = \frac{\Delta x}{\Delta t}$ (cm/s)
0.0 – 0.1	45
0.1 – 0.2	42
0.2 – 0.3	60
0.3 – 0.4	79
0.4 – 0.5	42
0.5 – 0.6	34
0.6 – 0.7	43

Table (3)

t_{mid} (s)	$v_{mid} \cong \bar{v}$ (cm/s)	$\bar{a} = \frac{\Delta v}{\Delta t}$ (cm/s ²)
0.05	45	
		-30
0.15	42	
		180
0.25	60	
		190
0.35	79	
		-370
0.45	42	
		-80
0.55	34	
		90
0.65	43	

Use (x-t) graph to answer the following questions:

a) Determine **one** interval in which:

- 1- The velocity is increasing: ~~(0.2, 0.3)~~ s
- 2- The velocity is decreasing: (0.3, 0.4) s
- 3- The velocity is constant: (0, 0.2) s

b) Find the instantaneous velocity at **t = 0.4 s** from the **slope** of the tangent of the (x-t)

graph. $\text{slope} = \frac{\Delta x}{\Delta t} = \frac{26 - 17.8}{0.475 - 0.3} = \frac{8.2}{0.175} = 46.86 \text{ cm/s}$

(0.3, 17.8)

(0.475, 26)

Fill in table (4) below using data from table (1), and then answer the following questions:

Table (4)	
Average velocity $\bar{v} = \frac{\Delta x}{\Delta t}$ (cm/s)	
$\bar{v}_{7-1} = \frac{x_7 - x_1}{t_7 - t_1} = $	46.86 50
$\bar{v}_{6-2} = \frac{x_6 - x_2}{t_6 - t_2} = $	53.75
$\bar{v}_{5-3} = \frac{x_5 - x_3}{t_5 - t_3} = $	60.5

c) The midpoint for the given intervals is $t_{\text{mid}} =$ 0.4 s.

d) As the time interval is shortened, is there any relation between average velocities in table (4) and instantaneous velocity at the midpoint? when I near to point 0.4 so the

$$\bar{v}_{3-5} \approx \bar{v} \text{ at } 0.4$$

e) Write down the approximate instantaneous velocity at t_{mid} from table (4).

$$\underline{60.5 \text{ cm/s}}$$

f) Compare this result with that you have found in question (b) above?

$$\text{Percent error} = \left| \frac{46.86 - 60.5}{\frac{46.86 + 60.5}{2}} \right| \times 100\% = \underline{\del{25.4} 25.4\%}$$

Use (v-t) graph to answer the following questions:

g) Determine one interval in which the acceleration is positive: (0.15 - 0.35) s

h) Find the instantaneous velocity at $t = 0.4$ sec from the graph. ~~60~~ 53.43 cm/s

i) And compare it with the result in question (b).

$$\text{Percent different} = \left| \frac{\del{60} - 46.86}{53.43} \right| \times 100\% = \underline{\del{24.6} 24.6\%}$$

j) Calculate the area under the instantaneous velocity in the interval [0.2-0.4] sec.

$$\underline{(0.2 \times 50) + (0.15 \times 10) + (\frac{1}{2} \times 0.05 \times 10) + (\frac{1}{2} \times 0.15 \times 20) = 13.175 \text{ cm}}$$

k) What does this area represent? Distance (cm)

l) Compare it with the distance moved in the interval [0.2-0.4] sec from table (1).

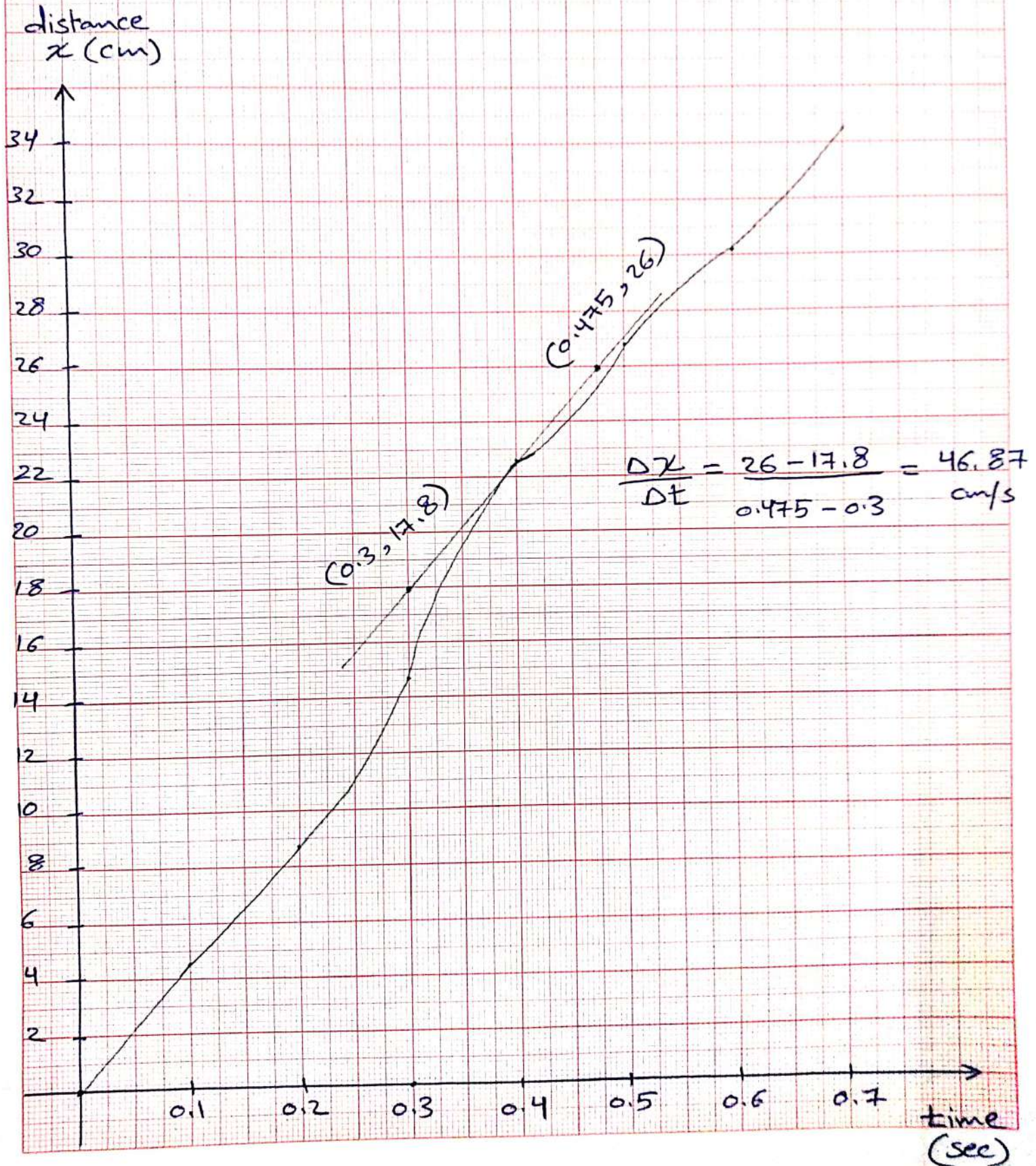
$$\text{Percent different} = \left| \frac{13.175 - 13.9}{13.5375} \right| \times 100\% = \underline{5.4\%}$$

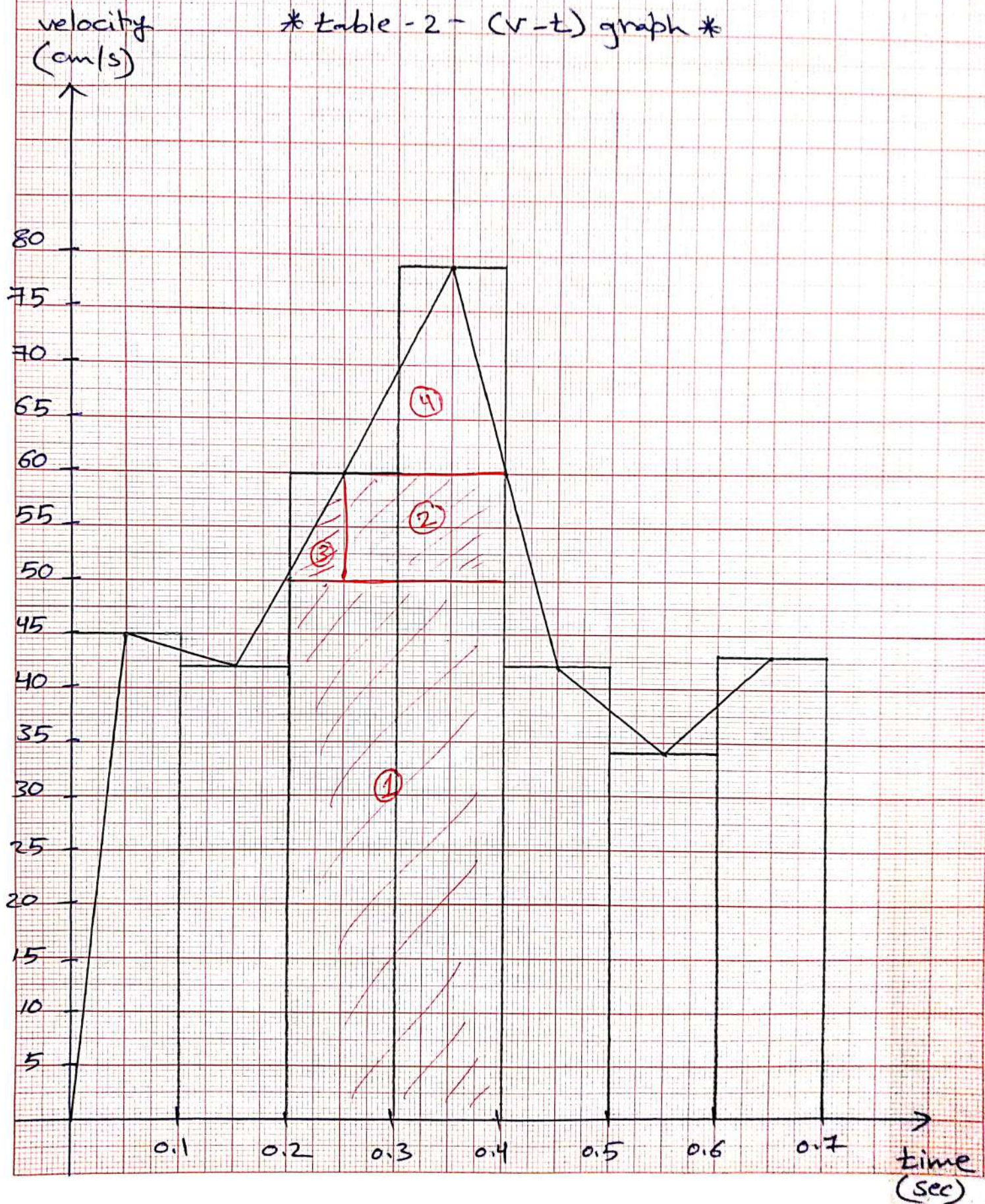
Use Table (3) to answer the following questions:

n) How does the acceleration change from one interval to the other (is it uniform or irregular)?

irregular

* table - 1 - $\rightarrow$ (x-t) graph *





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Simple Pendulum ex-6- (10/10)

1. Compute the average of the period for each length of the pendulum and record them in table 1.
2. Fill in the average periods and the lengths L in table 2.
3. Compute the square of the average period for each length and record it in table 2.

Table (1)			
Fill in the table with data from the experiment			
L (cm)	T ₁ = t ₅ /5 (s) Trial ₁	T ₂ = t ₅ /5 (s) Trial ₂	$\bar{T}$ (s)
95	1.9	1.95	1.925
70	1.66	1.67	1.665
60	1.5	1.54	1.52
50	1.4	1.4	1.4
25	0.98	0.99	0.985
15	0.77	0.77	0.77

Table (2)		
Use data from table 1 to fill table 2		
L (cm)	$\bar{T}$ (s)	$\bar{T}^2$ (s)
95	1.925	3.7
70	1.665	2.77
60	1.52	2.31
50	1.4	1.96
25	0.985	0.97
15	0.77	0.59

4. Use the data in table 2 to plot $\bar{T}$ versus L. What conclusions can you obtain from your graph?

[Non-linear] and when L increasing the Time increase

5. Now plot $\bar{T}^2$ versus L using table 2. What kind of relationship do you obtain? Linear and directly

6. Compute the slope of your $\bar{T}^2$ versus L graph.

(0,0), (60, 2.31)

$$\text{slope} = \frac{2.31 - 0}{60 - 0} = 0.0385$$

المساحة $\rightarrow 0.0385 = \frac{4\pi^2}{g} \rightarrow g = 1025.4 \text{ cm/s}^2$

7. Using the value of the slope you obtained to calculate g , the acceleration due to gravity.

الكل بالسنه
الباية $g = 1025.4 \text{ cm/s}^2$

8. Estimate the percent error in g .

$$\text{error \%} = \left| \frac{E - A}{A} \right| \times 100\%$$

$$= \left| \frac{1025.4 - 980}{980} \right| \times 100\%$$

$$= 4.6\%$$

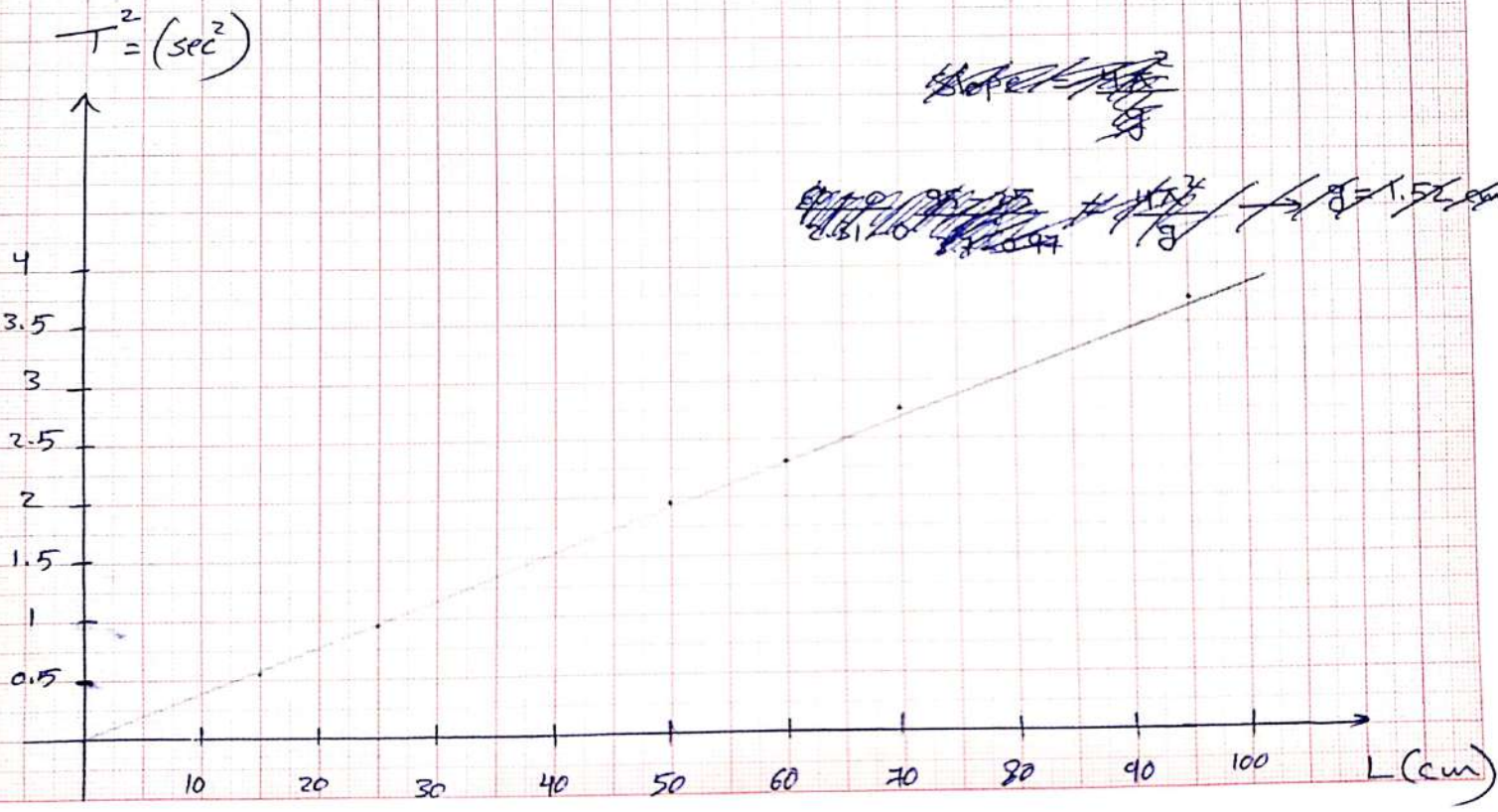
T^2 versus L

~~(60, 0.5)~~ ~~(60, 2.25)~~

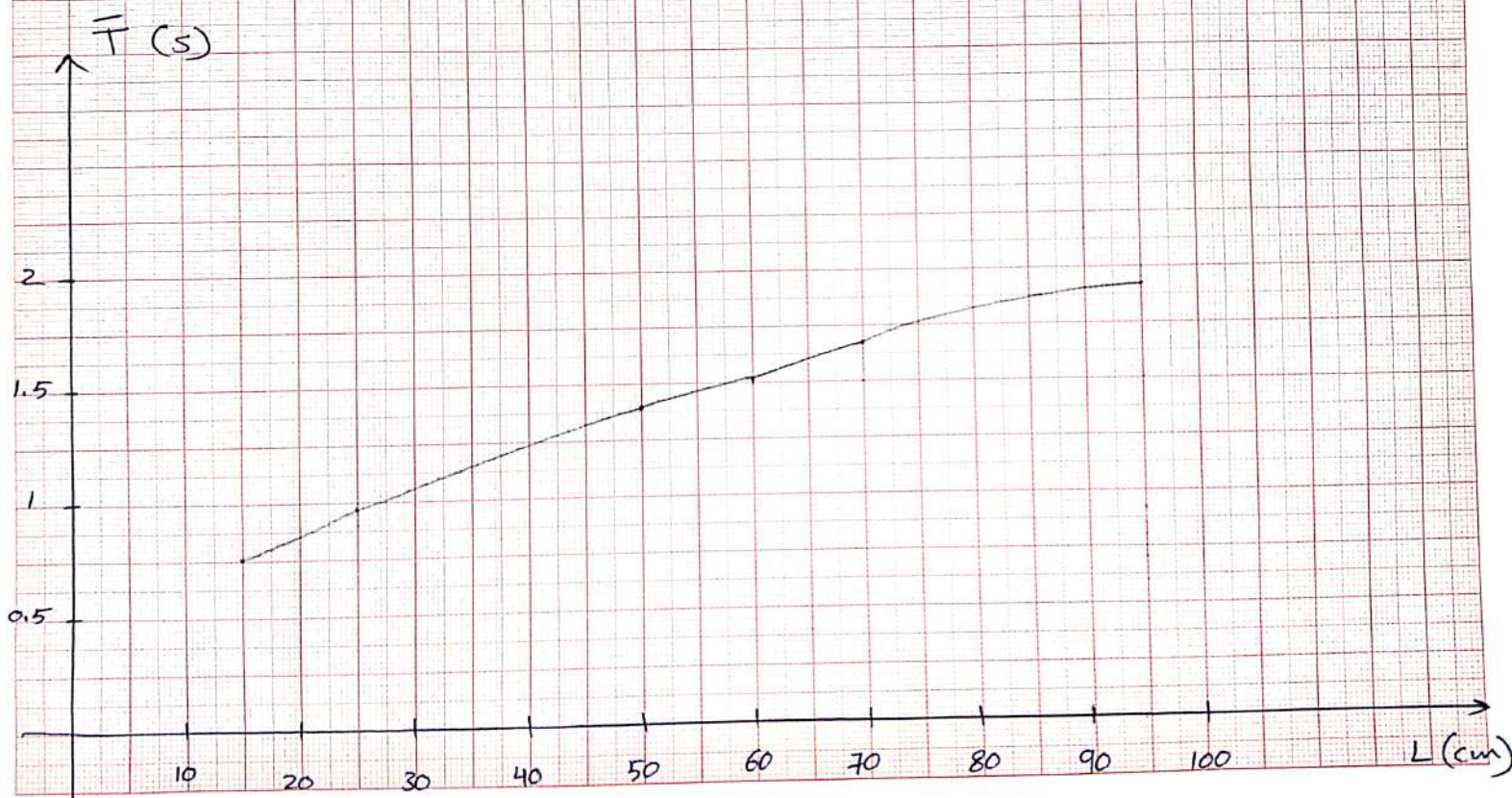
~~(25, 0.94)~~ ~~(95, 3.52)~~

~~Slope = 1.52~~

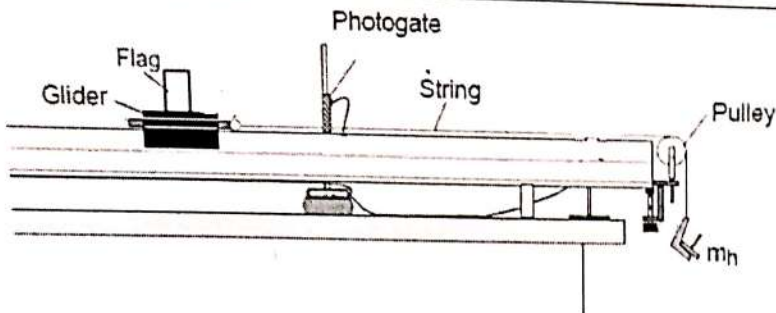
~~$\frac{4\pi^2}{g} = 1.52 \text{ sec}^2/\text{cm}$~~



* $\bar{T}$ versus L *



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In figure M: mass of glider

 m_a : added mass on glider m_h : hanging mass

The theoretical equation of motion for this system is:

$$m_h g = (M + m_a + m_h) a$$

Purpose: To investigate Newton's second law: How a given force accelerates different masses and how different forces accelerate a given mass.

Part (I): Acceleration and added mass with constant driving force.

Fill in table (1) with data from your experiment. Make a graph for m_a versus $1/a$. Then answer the following questions.

- a) What is your conclusion about the way in which the acceleration depends on the magnitude of the added mass? when I increase magnitude

of the adding accel. the (a) is decrease.

- b) Find the slope of your (m_a - $1/a$) graph.

$$\text{slope} = \frac{0.10 - 0}{5.2 - 3.15} = 0.0488$$

What does the slope represent? driving force ($m_h g$)

- c) Determine the value of the glider mass (M) from the (m_a - $1/a$) graph. And compare it with the real value.

$$M = |y_{\text{int}}| - (\text{slope} / g) = 0.151 - (0.0488 / 9.8) = 0.146 \text{ N}$$

$$\text{percent error \%} = \left| \frac{0.146 - 0.1}{0.1} \right| \times 100\% = 46\%$$

Glider's mass = 0.1 kg			
Air pressure #	Added mass m_a (kg)	Acceleration a (m/s^2)	$1/a$ (m/s^2) ⁻¹
4	0	0.317	3.15
5	0.020	0.291	3.44
6	0.050	0.245	4.1
7	0.100	0.192	5.2

Part (II): Acceleration and driving force with constant total mass.

Fill in table (2) with data from your experiment. Then, draw a graph for $m_h g$ versus a .

- a) What is your conclusion about the way in which the acceleration depends on the magnitude of the hanging mass?

when I increase the magnitude of hanging mass
the acceleration increase (linear and direct)

Air pressure	m_a (g)	m_h (g)	$m_h g$ (dyne)	a (cm/s^2)
7	100	50	49000	192
6	50	100	98000	398.2
5	20	130	127400	501.6
4	0	150	147000	587.3

$$m_a + m_h = 150 \text{ g}$$

- b) Find the slope of your $m_h g$ versus a graph. What does the slope represent?

$$\text{slope} = \frac{147000 - 0}{587.2 - 0} = 250.34$$

- c) Do you expect that the $m_h g$ versus a curve should pass through the origin? Explain your answer.

yes, Because when no hanging mass the acceleration will be zero.

